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**B.Com. I**

CORE CONCEPT OF

**BUSINESS MATHEMATICS & STATISTICS**

1. Illustrate the Index Number.
2. Briefly describe the characteristics of index number.
3. What do you mean by purpose of index number?

**Example-19:** Compute Laspeyre's, Paasche's, Marshall-Edgeworth's, Dorbish Bowley's, Fisher's Ideal Index Number. Also satisfy the test from the following data:

Items	Base Year		Current Year	
	Price(Rs.)	Quantity	Price(Rs.)	Quantity
A	10	30	12	50
B	8	15	10	25
C	6	20	6	30
D	4	10	6	20

**Solution-19: Construction of Price Index Number**

Items	Base Year		Current Year		P <sub>0</sub> Q <sub>0</sub>	P <sub>0</sub> Q <sub>1</sub>	P <sub>1</sub> Q <sub>0</sub>	P <sub>1</sub> Q <sub>1</sub>
	p <sub>0</sub>	q <sub>0</sub>	q <sub>0</sub>	q <sub>1</sub>				
A	10	30	12	50	300	500	360	600
B	8	15	10	25	120	200	150	250
C	6	20	6	30	120	180	120	180
D	4	10	6	20	40	80	60	120
					580	960	690	1150

1) Laspeyre's Method:  $(P_{01}) = \left[ \frac{\sum P_1 q_0}{\sum P_0 q_0} * 100 \right]$

$$(P_{01}) = \left[ \frac{690}{580} * 100 \right] = 1.1896 * 100 = 118.96$$



2) Paasche's Method:  $(P_{01}) = \left[ \frac{\sum P_{1q1}}{\sum P_{0q1}} * 100 \right]$

$$(P_{01}) = \left[ \frac{1150}{960} * 100 \right] = 1.1979 = 119.79$$

3) Marshall-Edge worth's Method:  $(P_{01}) = \left[ \frac{\sum P_{1q0} + \sum P_{1q1}}{\sum P_{0q0} + \sum P_{0q1}} * 100 \right]$

$$(P_{01}) = \left[ \frac{690 + 1150}{580 + 960} * 100 \right]$$

$$(P_{01}) = \left[ \frac{1840}{1540} * 100 \right] = 1.1948 = 119.48$$

4) Dorbish & Bowley's Method-  $(P_{01}) = \left[ \frac{\sum P_{1q0}}{\sum P_{0q0}} + \frac{\sum P_{1q1}}{\sum P_{0q1}} \right] * 100/2$

$$(P_{01}) = \left[ \frac{690}{580} + \frac{1150}{960} \right] * 50$$

$$(P_{01}) = [1.1896 + 1.1979] * 50$$

$$(P_{01}) = [2.3875] * 50 = 119.375$$

5) Fisher's Index Number =  $(P_{01}) = \sqrt{\frac{\sum P_{1q0}}{\sum P_{0q0}} * \frac{\sum P_{1q1}}{\sum P_{0q1}}} * 100$

$$(P_{01}) = \sqrt{\frac{690}{580} * \frac{1150}{960}} * 100$$

$$(P_{01}) = \sqrt{1.1896 * 1.1979} * 100$$

$$(P_{01}) = \sqrt{1.4243031} * 100$$

$$(P_{01}) = 1.1934 * 100 = 119.34$$

#### Reversibility Tests-

##### 1) Time Reversibility test.

$$P_{01} * P_{10} = 1$$

Fisher's ideal index number satisfies this test as explained below:

$$(P_{01}) = \sqrt{\frac{\sum P_{1q0}}{\sum P_{0q0}} * \frac{\sum P_{1q1}}{\sum P_{0q1}}} * 100 \quad \text{or} \quad (P_{10}) = \sqrt{\frac{\sum P_{0q0}}{\sum P_{1q0}} * \frac{\sum P_{0q1}}{\sum P_{1q1}}} * 100$$

$$\text{Thus, } P_{01} \times P_{10} = \sqrt{\frac{\sum P_{1q0}}{\sum P_{0q0}} * \frac{\sum P_{1q1}}{\sum P_{0q1}} * \frac{\sum P_{0q0}}{\sum P_{1q0}} * \frac{\sum P_{0q1}}{\sum P_{1q1}}}$$

$$P_{01} \times P_{10} = \sqrt{\frac{690}{580} * \frac{1180}{960} * \frac{580}{690} * \frac{960}{1180}} = \sqrt{1}$$

$$P_{01} \times P_{10} = 1$$

##### 2) Factor Reversibility Test- $P_{01} * Q_{01} = \frac{\sum P_{1q1}}{\sum P_{0q0}}$

Fisher's formula satisfies also this test as explained below:

$$(P_{01}) = \sqrt{\frac{\sum P_{1q0}}{\sum P_{0q0}} * \frac{\sum P_{1q1}}{\sum P_{0q1}}} * 100 \quad Q_{01} = \sqrt{\frac{\sum Q_{1p0}}{\sum Q_{0p0}} * \frac{\sum Q_{1p1}}{\sum Q_{0p1}}} * 100$$



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$$P_{01} * Q_{01} = \sqrt{\frac{\Sigma P_1 q_0}{\Sigma P_0 q_0} * \frac{\Sigma P_1 q_1}{\Sigma P_0 q_1} * \frac{\Sigma q_1 p_0}{\Sigma q_0 p_0} * \frac{\Sigma q_1 p_1}{\Sigma q_0 p_1}}$$

$$P_{01} * Q_{01} = \sqrt{\frac{690}{580} * \frac{1150}{960} * \frac{960}{580} * \frac{1150}{690}}$$

$$P_{01} * Q_{01} = \sqrt{\frac{1150}{580} * \frac{1150}{580}}$$

$$P_{01} * Q_{01} = \frac{1150}{580} = \mathbf{1.983}$$